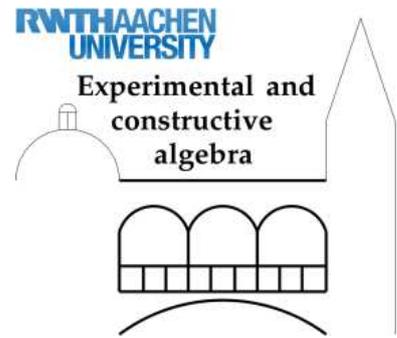


Graduiertenkolleg

# Experimentelle und konstruktive Algebra



## Kolloquiumsvortrag

Dienstag, 19. April 2016, 14:00 Uhr, SeMath

**DEREK SMITH (LAFAYETTE COLLEGE, EASTON, PENNSYLVANIA, USA; ZUR ZEIT UNIVERSITÄT BREMEN):**

***Integer Distance Problems and Planar Embeddings***

There are many classic unsolved problems in low-dimensional geometry whose statements are easy to comprehend because they simply ask that certain quantities be integers or rational numbers. For example, a 3-by-4 rectangle is “perfect” because its edge and diagonal lengths are integers; but does a perfect box exist, one whose edges, face diagonals, and body diagonals all have integer lengths? For another example, is there a point inside of a unit square that is a rational distance from each of the four corners of the square?

In this talk, I will focus on some ideas related to a problem of Erdős: If  $n$  is positive integer, when does there exist a set  $M$  of  $n$  points in the plane, no three on a line and no four on a circle, such that all of the distances between pairs of points are integers? I will highlight some recent work that might assist the search for these sets, namely conditions that guarantee that a congruent copy of  $M$  embeds in a naturally corresponding ring of algebraic integers.

Wir laden alle Interessierten herzlich ein.