

15. Februar 2002. U. Schoenwaelder; <http://www.math.rwth-aachen.de/~Ulrich.Schoenwaelder>  
HB = Hochschulbibl. RWTH, HBZ = <http://www.hbz-nrw.de/> (HBZ-CD-ROM Online), MB = Mathe-  
matikbibl., DB = Didaktikbibl. (Winter), FH = Bibl. Fachhochschule Aachen, FL = Fernleihe, IB Nr.  
Institutsbibliothek Nr., LB = HB-Lehrbuchsammlung, LS = HB-Lesesaal

#### LITERATUR ZU FAREY-FOLGEN

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